High-resolution mass models of the Large Magellanic Cloud

Shinna Kim

with Se-Heon Oh, Bi-Qing For, and Yun-Kyeong Sheen



kimsn9711@gmail.com

Contents

- 1. Introduction
- 2. Rotation curve analysis of the LMC
- 3. Mass models of the stellar and gaseous components of the LMC
- 4. Mass distribution in the LMC
- 5. Summary

Introduction



- The Large Magellanic Cloud (LMC) is one of the closest galaxies to the Milky Way at a distance of ~50 kpc
- Gravitational interactions between the LMC and the Small Magellanic Cloud (SMC) and the Milky Way

Introduction



HI velocity profiles overlaid on the HI intensity map of the LMC

- LMC's gas component has complex HI structure by recent stellar feedback and gravitational interactions with other galaxies.
- Minimizing these effects is the first step in
 - deriving more reliable HI kinematics of the galaxy.

Introduction



Example

 $V_{\rm obs}^2 = V_{\rm gas}^2 + V_{\rm star}^2 + V_{\rm DM}^2$

- Total rotation curve (HI tracer) \rightarrow V_{obs} 1.
- 2. Stellar components $\rightarrow V_{\text{star}}$
- Gaseous components $ightarrow V_{
 m gas}$ 3.
- 4. Dark matter component $\rightarrow V_{\rm DM}$

Deriving an accurate rotation curve is firstly required.

- We aim to derive a **bulk HI** velocity field \star
 - global kinematics of the galaxy \rightarrow
 - non-circular gas motions removed \rightarrow

Combined ATCA and Parkes HI data cube

HI data cube

- Australia Telescope Compact Array (ATCA) + Parkes radio telescope (Kim et al. 2003)
- Angular resolution of ~60" which corresponds to a physical size of ~14.6 pc
- Velocity resolution of ~1.65 km/s



Optimal decomposition of HI velocity profiles



- → Decompose each line-of-sight velocity profile of the data cube into an optimal number of Gaussian components based on Bayesian MCMC techniques
- → Set the maximum number of Gaussian components with five
- → Model selection using Bayes factor

A global model velocity field based on stellar kinematics

- Model velocity field ; carbon star kinematics in van der Marel et al. (2002)
 - → used for extracting the bulk component from the decomposed Gaussian components
- Why stellar kinematics?
 - → global kinematics of the galaxy; less affected by recent stellar feedback or hydrodynamical forces



Extraction of HI bulk gas motions

 We select co-rotating HI bulk gas components whose central velocities are closest to the reference model velocity field within a velocity limit.



HI bulk rotation curve of the LMC



- HI bulk rotation curve; solid body-like, linearly rising in the central region compared to the conventional HI MOMENT1 rotation curve (Kim et al. 1998)
- consistent with carbon star kinematics (van der Marel et al. 2002)
 - → less affected by the effect of random gas motions disturbed by recent gravitational and hydrodynamical processes

Mass model of the stellar component

- The total rotation curve : baryons (star and gas) and dark matter
- We quantify the dynamical contribution of the stellar component



- trace old stellar populations; dominant
- less sensitive to dust extinction and recent star formation



- stellar mass-to-light ratio
 - → convert the 3.6 micron stellar light to the mass

Mass model of the stellar component



Mass models of the stellar and gaseous components

Stellar contribution

- → Stellar surface mass density derived from the 3.6 micron surface brightness profile using $\Upsilon^{3.6}_{\star}$
- → V_{star} assuming a stellar disk with $sech^2(z)$ distribution

Gas contribution

- → Gas surface mass density derived from the HI intensity map
- $ightarrow V_{
 m gas}$ assuming an infinitely thin gas disk



Disk-halo decomposition

• The DM rotation curve can be derived as follows,

$$V_{
m DM} = \sqrt{V_{
m obs}^2 - V_{
m star}^2 - V_{
m gas}^2}$$

• Quantify the DM distribution by fitting two DM halo models

Navarro-Frenk-White (NFW) DM halo model	Pseudo-isothermal (ISO) DM halo model (Begeman	
(Navarro et al. 1996, 1997)	et al. 1991)	
$V_{\rm NFW}(R) = V_{200} \sqrt{\frac{\ln(1+cx) - cx/(1+cx)}{x[\ln(1+c) - c/(1+c)]}}$	$V_{\rm ISO}(R) = \sqrt{4\pi G\rho_0 R_C^2 \left[1 - \frac{R_c}{R} \mathrm{atan}\left(\frac{\mathrm{R}}{\mathrm{R_c}}\right)\right]}$	
→ inferred by LCDM N-body DM only	→ used for describing observed rotation	
simulations of galaxies	curves of galaxies	

Disk-halo decomposition



Observed rotation curve: Fitted rotation curve: — DM: - — - - -Stars: -----Gas: — —

- Both the NFW and ISO halo models do not well describe the DM rotation curve
- The fitted NFW concentration parameter c (~1) is unphysical for typical galaxies' DM halos which are predicted from the LCDM DM-only simulations.

DM density distribution in the LMC



- DM density profile assuming a spherical halo potential
- Both the NFW and ISO halo model do not well describe the DM density distribution

Mass modeling results of the LMC

- The total dynamical mass of the LMC, $M_{
 m dyn}=R_{
 m max}V_{
 m max}^2/G\,$ within ~4.2 kpc
- The dynamical mass of the DM component, $M_{
 m DM} = M_{
 m dyn} M_{
 m star} M_{
 m gas}$

$M_{ m star}$	$M_{ m gas}$	$M_{ m DM}$	$M_{ m dyn}$
$2.89 imes10^8 M_\odot$ (8 %)	$7.07 imes 10^8 M_{\odot}$ (19.9 %)	$2.56 imes 10^9 M_{\odot}$ (71.9 %)	$3.56^{+0.91}_{-0.80} imes10^9 M_{\odot}$ (100 %)

• DM fraction of ~72 % indicates that LMC is largely DM dominated.

Summary

- 1. We separate turbulent non-ordered HI gas motions from the HI kinematics and produce an HI bulk velocity field which represents the global rotation of the LMC.
- 2. From a 2D tilted-ring analysis of the HI bulk velocity field, we derive a bulk rotation curve of the galaxy which corrects for its transverse, nutation and precession motions.
- 3. The dynamical contributions of baryons like stars and gaseous components which are derived using the Spitzer 3.6 micron image and the HI data are then subtracted from the total kinematics of the galaxy.
- 4. Both the NFW and ISO halo models do not well describe the DM distribution
- 5. LMC is largely DM dominated with a DM mass fraction of 72%.